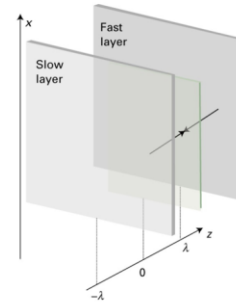


Laminar flow

- MQs travelling from a fast layer to a slow layer transport a momentum of $mv_x(\lambda)$ to their new layer at $z=0$; those travelling the other way transport $mv_x(-\lambda)$.



- Assuming a uniform density, $Z_W = \frac{1}{4} \mathcal{N} v_{mean}$.

- Momentum of MQs arriving from the right: $mv_x(\lambda) = mv_x(0) + m\lambda \left(\frac{dv_x}{dz}\right)_0$, and from the left: $mv_x(-\lambda) = mv_x(0) - m\lambda \left(\frac{dv_x}{dz}\right)_0$.

- The net flux of x -momentum is $J_z = \frac{1}{4} v_{mean} \mathcal{N} \left\{ \left[mv_x(0) - \lambda \left(\frac{dv_x}{dz}\right)_0 \right] - \left[mv_x(0) + \lambda \left(\frac{dv_x}{dz}\right)_0 \right] \right\} = -\frac{1}{2} v_{mean} \lambda m \mathcal{N} \left(\frac{dv_x}{dz}\right)_0$, i.e. $J \propto$ velocity gradient.

