## LIN6049 Advanced semantics: puzzles in meaning

2024-2025 Luisa Martí

Week 12

#### Today

#### General feedback on puzzle 7

Quantifiers, part 2

Task: provide a semantics for the null D of Atara Imere that takes account of its specificity

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As always: not just provide a description of the data, but **provide it within the context of our theory** 

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# As always: not just provide a description of the data, but **provide it within the context of our theory**

That is: take our previous semantics for it and modify it/add to it appropriately, with proper justification

#### (2) Atara Imere

[There was a storm in the middle of the ocean, there were many boats there. A boat has sunk. Someone in the village knows which one it is, though I don't:]

Te-paki ee-jiro

SG-boat 3SG.NONFUT-sink

'A boat sank'

#### (3) Atara Imere

[There was a storm in the middle of the ocean, there were many boats there. A boat has sunk, but nobody knows which one]

#Te-paki ee-jiro

SG-boat 3SG.NONFUT-sink

'A boat sank'

not enough to say: "with this null D, somebody needs to know the referent"

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that's only the very beginning!

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you need to consider how to incorporate this into the theory. Is it part of the presupposition? Of the assertion? Or is it a felicity condition? Why?

'D<sub>indef</sub> NP VP' Presupposition: — Assertion: {x: x is an NP in s}  $\cap$  {x: x VPs in s}  $\neq \emptyset$ 

'D<sub>defw</sub> NP VP' Presupposition:  $|\{x: x \text{ is an NP in s}\}| = 1$ . Assertion:  $\{x: x \text{ is an NP in s}\} \cap \{x: x \text{ VPs in s}\} \neq \emptyset$ 

'D<sub>defs</sub> NP VP' Presupposition:  $|\{x: x \text{ is an NP in the discourse situation}\}| = 1.$ Assertion:  $\{x: x \text{ is an NP in the discourse situation}\} \cap \{x: x \text{ VPs in s}\} \neq \emptyset$ 

proposal for Atara Imere's null D defended in class in week 5: ambiguous

How do add to this picture/modify it on the basis of the new examples?

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Is something added to/changed in the three denotations? Why (not)?

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Is something added to/changed in the three denotations? Why (not)?

What is that something? Does it affect presuppositions, assertions? Is it a felicity condition? Why?

Would you need more examples than those provided to justify all of your choices?

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If I ask this question, it's likely that you do!

Would you need more examples than those provided to justify all of your choices?

If I ask this question, it's likely that you do!

Say what those examples would look like, what you'd need to check/have evidence for

So far, not a lot of action in the assertive component

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'A NP VP' Presupposition: — Assertion: {x: x is an NP in s}  $\cap$  {x: x VPs}  $\neq \emptyset$ 

So far, not a lot of action in the assertive component

'A NP VP'
Presupposition: —
Assertion: {x: x is an NP in s} n {x: x VPs} ≠ Ø

So far, not a lot of action in the assertive component

'The<sub>W</sub> NP VP' Presupposition:  $|\{x: x \text{ is an NP in s}\}| = 1$ Assertion:  $\{x: x \text{ is an NP in s} \in \{x: x \text{ VPs}\} \neq \emptyset$ 

So far, not a lot of action in the assertive component

'The<sub>S</sub> NP VP'
Presupposition: |{x: x is an NP in the discourse situation}| = 1
Assertion: {x: x is an NP in the discourse situation} n {x: x VPs} ≠ Ø

So far, not a lot of action in the assertive component

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'[That NP]_{\rightarrow L} VP'
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Presupposition: |{x: x is an NP in s and x is in L in s and speaker points at L in s and L is not close to the speaker in s}| = 1

Assertion: {x: x is an NP in s and x is in L in s and speaker points at L in s and L is not close to the speaker in s} n {x: x VPs in s}  $\neq \emptyset$ 

So far, not a lot of action in the assertive component

'This<sub>R</sub> NP VP'

Presupposition: —

Assertion: {x: x is an NP in s} n {x: x VPs in s}  $\neq \emptyset$ 

Felicity condition: {x: x is an NP in s and x is noteworthy in s}  $\neq \emptyset$ 

So far, the assertive component has required the intersection of the NP-set and the VP-set not to be empty

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But that's not the only type of requirement you can have in an assertion

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But that's not the only type of requirement you can have in an assertion

Quantifiers show more of the variety of the requirements that assertions can impose

- (1) Every student cycled to school
- (2) No student cycled to school
- (3) Most cats have blue eyes
- (4) Lee found few fleas in the house
- (5) Sue bought at least five books at the bookstore

(1) Every student cycled to school

(1) [<sub>QP</sub> Every [<sub>NP</sub> student]] [<sub>VP</sub> cycled to school]

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'Every NP VP'

Presupposition: —

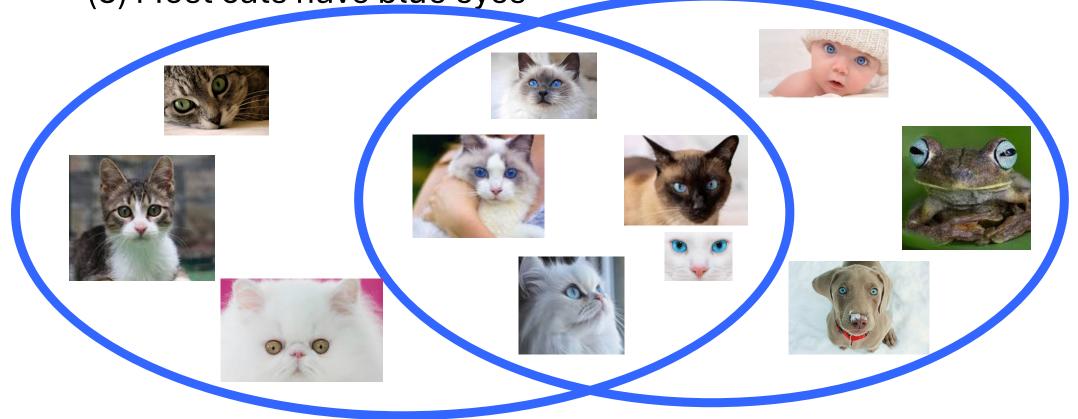
Assertion: {x: x is an NP in s}  $\subseteq$  {x: x VPed in s}

(2) No student cycled to school

'No NP VP' Presupposition: — Assertion: {x: x is an NP in s} n {x: x VPed in s} = Ø

(3) Most cats have blue eyes

(3) Most cats have blue eyes



(3) Most cats have blue eyes

'Most NP VP'

```
Presupposition: —
```

Assertion: [{x: x is an NP in s} n {x: x VPs in s}] >

[x: x is an NP in s] - [x: x VPs in s]

(4) Lee found few fleas in the house

(4) Lee found few fleas in the house "the number of fleas Lee found in the house is small"

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cardinal

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(6) [Context: a new insecticide is being tested, and we're counting how many fleas survived]

Few fleas survived

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cardinal

(6) [Context: a new insecticide is being tested, and we're counting how many fleas survived]

- Few fleas survived
- "few of the fleas survived"

(4) Lee found few fleas in the house "the number of fleas Lee found in the house is small"

cardinal

(6) [Context: a new insecticide is being tested, and we're counting how many fleas survived]

- Few fleas survived
- "few of the fleas survived"

proportional

(7) There are few fleas in the house

(7) There are few fleas in the house

only cardinal

'Few<sub>c</sub> NP VP'
Presupposition: —
Assertion: |{x: x is an NP in s} n {x: x VPs in s}| < n</pre>

'Few<sub>c</sub> NP VP'
Presupposition: —
Assertion: |{x: x is an NP in s} n {x: x VPs in s}| < n</pre>

```
'Few<sub>c</sub> NP VP'
```

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Presupposition: —
```

```
Assertion: |\{x: x \text{ is an NP in s} \cap \{x: x VPs \text{ in s}\}| < n
```

```
(4) Lee found few fleas in the house
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- 'Few<sub>C</sub> NP VP'
- Presupposition: —

Assertion:  $|\{x: x \text{ is an NP in s} \cap \{x: x VPs \text{ in s}\}| < n$ 

(4) Lee found few fleas in the house ≈few [fleas] [are such that Lee found them in the house]

'Few<sub>c</sub> NP VP' Presupposition: — Assertion:  $|\{x: x \text{ is an NP in s} \cap \{x: x VPs \text{ in s}\}| < n$ 

(4) Lee found few fleas in the house ≈ few [fleas] [are such that Lee found them in the house]

> the object quantifier is "extracted out" to the left

(5) Sue bought at least five books at the bookstore at least five [books] [are such that Sue bought them at the bookstore]

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'At least five NP VP'

Presupposition: —

Assertion:  $|\{x: x \text{ is an NP in s} \cap \{x: x VPs \text{ in s}\}| \ge 5$ 

Summary so far

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Quantifiers require us to use more of set theory in order to understand their meaning than just intersection and the empty set

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Quantifiers require us to use more of set theory in order to understand their meaning than just intersection and the empty set

In order to write our meaning recipes for quantifiers in such a way that quantifiers in both subject and object position are accounted for, it is useful to think of object quantifiers as "extracted out to the left"

"Extracting out to the left" may sound weird, but it actually helps a lot

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Not just in allowing us to smoothly provide one recipe for both subject Qs and object Qs

"Extracting out to the left" may sound weird, but it actually helps a lot

Not just in allowing us to smoothly provide one recipe for both subject Qs and object Qs

It also allows us to understand so-called quantifier scope!

(8) <u>A boy read every book</u>

(8) <u>A boy read every book</u> Two readings:

(8) <u>A boy read every book</u>
Two readings: *a boy* >> *every book*"There is a boy who read every book"

(8) <u>A boy read every book</u> Two readings: *a boy >> every book* "There is a boy who read every book"

every book >> a boy
"Every book is such that a boy read it"
"For every book, there is a boy who read it"

(8) <u>A boy read every book</u>
Two readings: *a boy >> every book*"There is a boy who read every book"

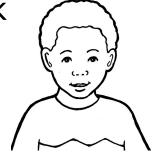
every book >> a boyevery book"Every book is such that a boy read it"extracted out to"For every book, there is a boy who read it"the left

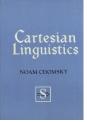
scope ambiguities

(8) <u>A boy read every book</u>
Two readings: *a boy >> every book*"There is a boy who read every book"

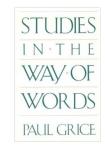
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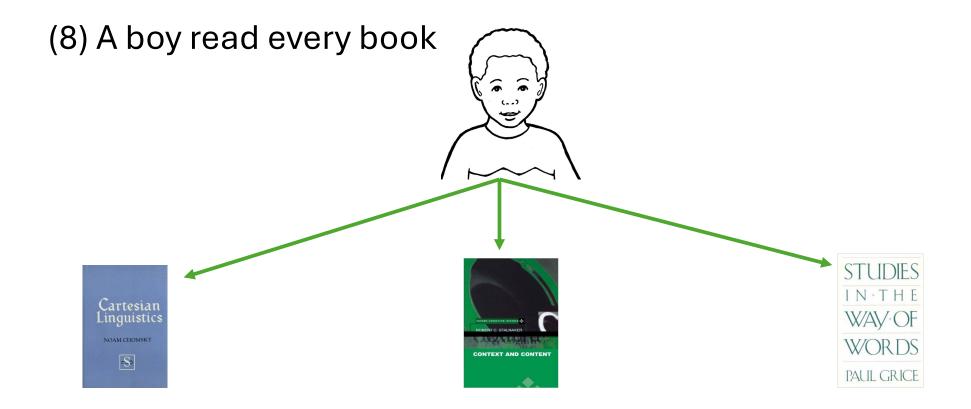


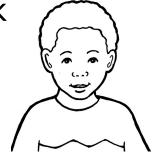






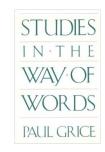




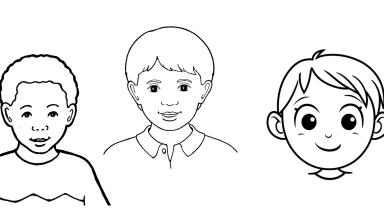


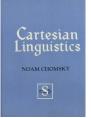




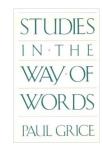


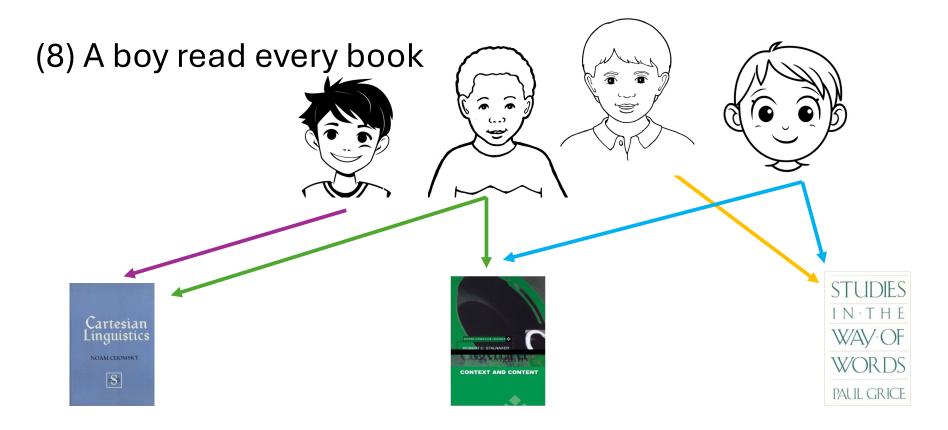












(8) A boy read every book

But is the sentence really ambiguous?

(8) A boy read every book

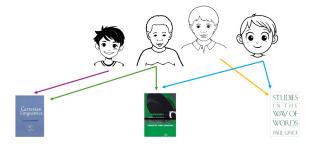
a boy >> every book

STUDIES IN-THE WAY OF WORDS PUL CACE

"There is a boy who read every book"

every book >> a boy

"Every book is such that a boy read it"



(8) A boy read every book

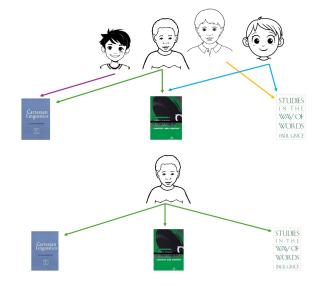
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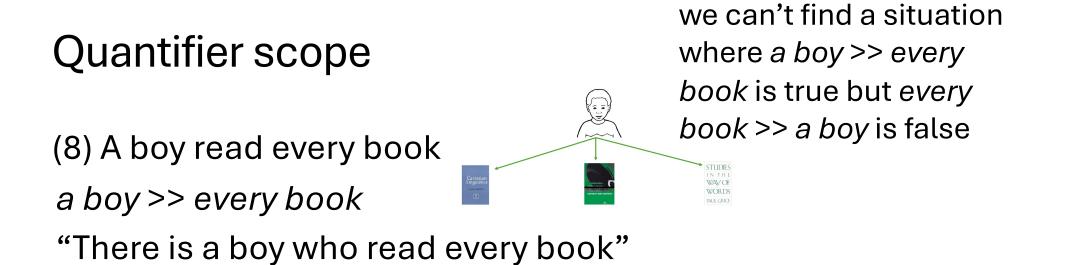
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Do scope ambiguities really exist?

To speak of true ambiguity, we must find a situation that makes Reading 1 true and Reading 2 false, and another situation that makes Reading 1 false and Reading 2 true

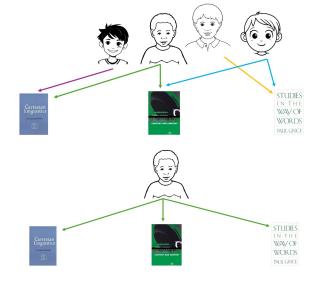
To speak of true ambiguity, we must find a situation that makes Reading 1 true and Reading 2 false, and another situation that makes Reading 1 false and Reading 2 true

Only then can we be sure that there is a real ambiguity



every book >> a boy

"Every book is such that a boy read it"



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However, quantifier scope ambiguities *do* exist. It's just that you can't see them with certain quantifier combinations!

(9) Exactly half of the girls speak a foreign language

(9) Exactly half of the girls speak a foreign language
 exactly half of the girls >> a foreign language
 "exactly half of the girls speak some foreign language or other"

(9) Exactly half of the girls speak a foreign language
 exactly half of the girls >> a foreign language
 "exactly half of the girls speak some foreign language or other"

*a foreign language >> exactly half of the girls* "a foreign language is such that exactly half of the girls speak it"

#### (9) Exactly half of the girls speak a foreign language

exactly half of the girls >> a foreign language

a foreign language >> exactly half of the girls

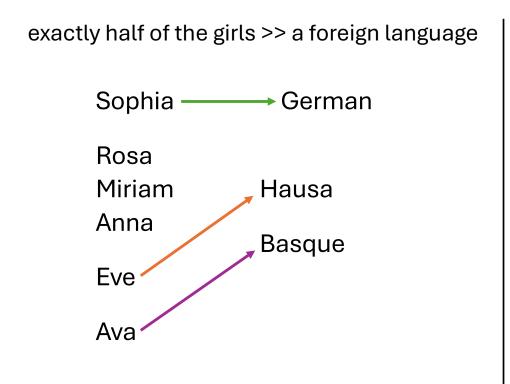
#### (9) Exactly half of the girls speak a foreign language

exactly half of the girls >> a foreign language	a fo
Sophia	
Rosa Miriam Anna	
Eve	
Ava	
	1

a foreign language >> exactly half of the girls

Sophia Rosa Miriam Anna Eve Ava

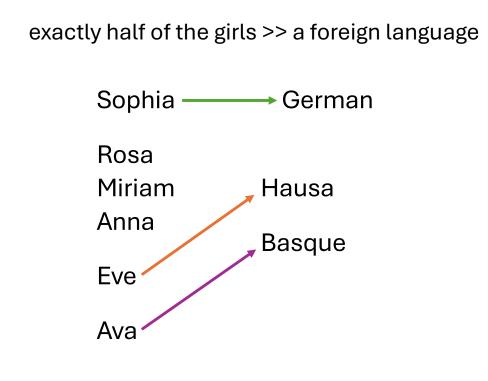
#### (9) Exactly half of the girls speak a foreign language



a foreign language >> exactly half of the girls

Sophia Rosa Miriam Anna Eve Ava

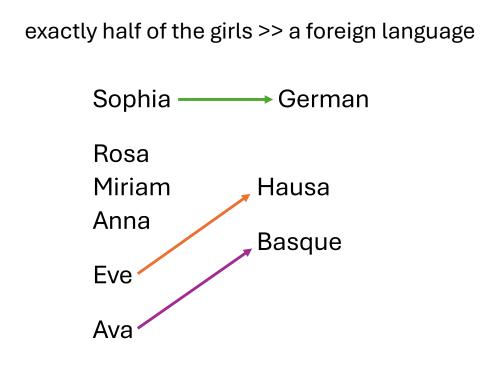
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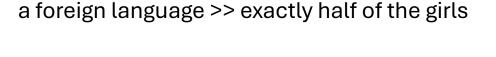


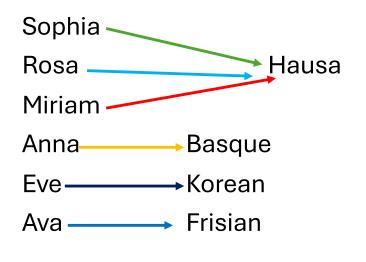
a foreign language >> exactly half of the girls

Sophia	
Rosa	Hausa
Miriam	
Anna	Basque
Eve	Korean
Ava	Frisian

#### (9) Exactly half of the girls speak a foreign language







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"Extracting out to the left" is more than just useful

Quantifier scope ambiguities are real then!

You just can't see them with certain pairs of quantifiers

"Extracting out to the left" is more than just useful. It is doing work for us, since it allows us to account for scope ambiguities

### Puzzle 9

More on scope ambiguities