Example 10.1. Suppose that Rosemary and Colin each have 2 cards, labelled with a 1 and a 2. Each selects a card and then both reveal their selected cards. If the sum $s$ of the numbers on their cards is even, then Rosemary wins and Colin must pay her this $s$. Otherwise, Colin wins and Rosemary must pay him $s$.

Example 12.1. Suppose that Rosemary and Colin are working on a joint project. Each of them can choose to "work hard" or "goof off." Both of them must work hard together to receive a high mark for the project. Both have utility 3 for receiving a high mark utility 1 for goofing off (regardless of what mark they receive) and utility 0 for working hard but not receiving a high mark. Give the payoff matrix for this game.

One more example

Example 10.3. Rosemary and Colin each have a $£ 1$ and a $£ 2$ coin. They each select one of them and hold it in their hand, then Colin calls out "even" or "odd" and they reveal their coins. Let $s$ be the sum of the values of the coins. If Colin correctly guessed whether $s$ was even or odd, he wins both coins. Otherwise, Rosemary wins both coins.

What are the strategies for each player?
Write down payoff matrix?
Is this a zera-sum game?


Example 10.4. Suppose we seek a pair of strategies $\left(r_{i}, c_{j}\right)$ that form a Nash equilibrium for the game with the following payoff matrix:

|  | $c_{1}$ | $c_{2}$ | $c_{3}$ | $c_{4}$ | $c_{5}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $r_{1}$ | 2 | -3 | -3 | 12 | -5 |
| $r_{2}$ | 2 | 7 | 2 | 9 | 11 |
| $r_{3}$ | -1 | 4 | 0 | 1 | 0 |
| $r_{4}$ | -3 | 5 | 1 | 2 | -3 |

Con you find a Nash equilibrium?
How mary con you find

Example matching pennies

Example 10.5. Rosemary and Colin each have a 1 p coin. Simultaneously, they place their coins on the table with either heads or tails showing. If the coins match, Rosemary wins $£ 1$ from Colin. Otherwise, Colin wins $£ 1$ from Rosemary.

