

PV	$v^{T_x} = e^{-\delta T_x}$	\overline{A}_x	Notation	$\text{EPV (Actuarial value)}$
Whole life insurance (continuous)				$\int_0^\infty e^{-\delta t} {}_t p_x \mu_{x+t} dt$
Whole life insurance (annual)	v^{K_x+1}	A_x		$\sum_{k=0}^{\infty} v^{k+1} {}_k q_x$
Whole life insurance (1/m-thly)	$v^{K_x^{(m)} + \frac{1}{m}}$	$A_x^{(m)}$		$\sum_{k=0}^{\infty} v^{\frac{k+1}{m}} \frac{k}{m} {}_m q_x$
Term insurance (continuous) - benefit paid if insured dies within fixed term n	$e^{-\delta T_x} \mathbf{1}_{\{T_x \leq n\}}$	$\overline{A}_{x:\bar{n}}$		$\int_0^n e^{-\delta t} {}_t p_x \mu_{x+t} dt$
Term insurance (annual)	$v^{K_x+1} \mathbf{1}_{\{K_x+1 \leq n\}}$	$A_{x:\bar{n}}^1$		$\sum_{k=0}^{n-1} v^{k+1} {}_k q_x$
Term insurance (discrete: 1/m-thly)	$v^{K_x^{(m)} + \frac{1}{m}} \mathbf{1}_{\{K_x^{(m)} + \frac{1}{m} \leq n\}}$	$A_{x:\bar{n}}^{(m) 1}$		$\sum_{k=0}^{mn-1} v^{\frac{k+1}{m}} \frac{k}{m} {}_m q_x$
Pure endowment - benefit paid if insured survives n	$v^n \mathbf{1}_{\{T_x > n\}}$	${}_n E_x$ <small>not</small> $= A_{x:\bar{n}}^1$	$v^n {}_n p_x$	$\overline{A}_{x:\bar{n}}$
Endowment insurance (continuous) - term insurance and pure endowment	$v^{\min(T_x, n)}$			$\overline{A}_{x:\bar{n}}^1 + {}_n E_x$
Endowment insurance (discrete: annual)	$v^{\min(K_x+1, n)}$	$A_{x:\bar{n}}$		$A_{x:\bar{n}}^1 + {}_n E_x$
Endowment insurance (discrete: 1/mth-ly)	$v^{\min(K_x^{(m)} + \frac{1}{m}, n)}$	$A_{x:\bar{n}}^{(m) 1}$		$A_{x:\bar{n}}^{(m) 1} + {}_n E_x$
Deferred insurance (continuous) benefit after a deferred period	$e^{-\delta T_x} \mathbf{1}_{\{u < T_x \leq u+n\}}$	${}_{u \bar{n}} \overline{A}_{x:\bar{n}}^1$		$\int_u^{u+n} e^{-\delta t} {}_t p_x \mu_{x+t} dt$