

Handout 5: review

Obligatory reading: re-read obligatory readings from previous weeks

Optional reading: re-read optional readings from previous weeks

1 Goals of the module

To improve our semantic theory from *Intro to Semantics* for English and for other languages
→ to improve our explanation for how human language/cognition works

Like in *Intro to Semantics*, we take a sentence with its syntactic structure, and suitable meanings for words (and morphemes), and use rules to provide the sentence with meaning

2 Our model for English from *Intro to Semantics*

Lexicon

$\llbracket \text{Luisa} \rrbracket^s$ = the individual called Luisa in s (and so on for other proper nouns)

$\llbracket \text{sleeps} \rrbracket^s = \{x: x \text{ sleeps in } s\}$ (and so on for other intransitive verbs)

$\llbracket \text{gray} \rrbracket^s = \{x: x \text{ is gray in } s\}$ (and so on for other intersective adjectives)

$\llbracket \text{tall} \rrbracket^s = \{x: x\text{'s height is above the height standard in } s\}$ (and so on for other context-sensitive adjectives)

$\llbracket \text{dog} \rrbracket^s = \{x: x \text{ is a dog in } s\}$ (and so on for other common nouns)

...etc.

Compositional rules

1. Subject-predicate: If S has NP as its subject and VP as its predicate, $\llbracket S \rrbracket^s = 1$ in s if $\llbracket \text{NP} \rrbracket^s \in \llbracket \text{VP} \rrbracket^s$ or $\llbracket \text{VP} \rrbracket^s \in \llbracket \text{NP} \rrbracket^s$

2. Non-branching nodes: If X is a non-branching node with daughter Y , $\llbracket X \rrbracket^s = \llbracket Y \rrbracket^s$

3. Nodes with a meaningless daughter: If X has a meaningless daughter (a , be) and another daughter Z , $\llbracket X \rrbracket^s = \llbracket Z \rrbracket^s$

4. Predicate Modification: If X has Y and Z as its only daughters and Y and Z denote sets of individuals, $\llbracket X \rrbracket^s = \llbracket Y \rrbracket^s \cap \llbracket Z \rrbracket^s$

5. *Former*: If X has an AP headed by *former* and N' as its daughters, $\llbracket X \rrbracket^s = \{x: \text{there is an } s' \text{ before } s \text{ such that } x \in \llbracket N' \rrbracket^{s'}\}$

6. *And*₁: If S_3 has three daughters, S_1 , *and* and S_2 , $\llbracket S_3 \rrbracket^s = 1$ in s if $\llbracket S_1 \rrbracket^s = 1$ in s and $\llbracket S_2 \rrbracket^s = 1$ in s

7. *And*₂: If X has three daughters Y , *and* and Z , and Y and Z denote sets of individuals, $\llbracket X \rrbracket^s = \llbracket Y \rrbracket^s \cap \llbracket Z \rrbracket^s$

8. *The*: If X is an NP with Det *the* and N' as daughters, $\llbracket X \rrbracket^s$ is only defined if there is exactly one z in s such that $z \in \llbracket N' \rrbracket^s$; if defined, $\llbracket X \rrbracket^s$ is that z

3 Changes we've introduced in our model for English

Lexicon

$\llbracket \text{Luisa} \rrbracket^s = \text{the individual called Luisa in } s \text{ (and so on for other proper nouns)}$

$\llbracket \text{sleeps} \rrbracket^s = \{x: x \text{ sleeps in } s\} \text{ (and so on for other intransitive verbs)}$

$\llbracket \text{gray} \rrbracket^s = \{x: x \text{ is gray in } s\} \text{ (and so on for other intersective adjectives)}$

$\llbracket \text{tall} \rrbracket^s = \{x: x\text{'s height is above the height standard in } s\} \text{ (and so on for other context-sensitive adjectives)}$

$\llbracket \text{dog} \rrbracket^s = \{x: x \text{ is an atomic or non-atomic dog in } s\} \text{ (and so on for other common noun roots)}$

$\llbracket -\emptyset \rrbracket^s = \llbracket +\text{atomic} \rrbracket^s = \{x: x \text{ is an atom in } s\} \text{ (singular morphology for nouns)}$

$\llbracket -s \rrbracket^s = \llbracket -\text{atomic} \rrbracket^s = \{x: x \text{ is a non-atom in } s\} \text{ (plural morphology for nouns)}$
...etc.

Compositional rules

1. Subject-predicate: If S has NP as its subject and VP as its predicate, $\llbracket S \rrbracket^s = 1 \text{ in } s \text{ if } \llbracket NP \rrbracket^s \in \llbracket VP \rrbracket^s \text{ or } \llbracket VP \rrbracket^s \in \llbracket NP \rrbracket^s$

2. Non-branching nodes: If X is a non-branching node with daughter Y, $\llbracket X \rrbracket^s = \llbracket Y \rrbracket^s$

3. Nodes with a meaningless daughter: If X has a meaningless daughter (*a*, *be*) and another daughter Z, $\llbracket X \rrbracket^s = \llbracket Z \rrbracket^s$

4. Predicate Modification: If X has Y and Z as its only daughters and Y and Z denote sets of individuals, $\llbracket X \rrbracket^s = \llbracket Y \rrbracket^s \cap \llbracket Z \rrbracket^s$

5. *Former*: If X has an AP headed by *former* and N' as its daughters, $\llbracket X \rrbracket^s = \{x: \text{there is an } s' \text{ before } s \text{ such that } x \in \llbracket N' \rrbracket^{s'}\}$

6. *And*₁: If S₃ has three daughters, S₁, *and* and S₂, $\llbracket S_3 \rrbracket^s = 1 \text{ in } s \text{ if } \llbracket S_1 \rrbracket^s = 1 \text{ in } s \text{ and } \llbracket S_2 \rrbracket^s = 1 \text{ in } s$

7. *And*₂: If X has three daughters Y, *and* and Z, and Y and Z denote sets of individuals, $\llbracket X \rrbracket^s = \llbracket Y \rrbracket^s \cap \llbracket Z \rrbracket^s$

8. *The*: If X is an NP with Det *the* and N' as daughters, $\llbracket X \rrbracket^s$ is only defined if there is a maximal z in s such that $z \in \llbracket N' \rrbracket^s$; if defined, $\llbracket X \rrbracket^s$ is that z

Assumptions

Distributive VPs denote sets of atomic and non-atomic individuals

Collective VPs denote sets of non-atomic individuals

Question 1: what else in our model for English needs to be changed, given the introduction of singularity and plurality?

-the denotation of adjectives? (→ puzzle 5!)

-the denotation of *and*₂? (since we used it for sentences such as *Lolo is brown and furry*, with adjectives, and maybe we need to reconsider adjectives)

-the denotation of quantifiers?

Question 2: what else in our model for other languages needs to be changed, given the introduction of a semantics for grammatical number?

Question 3: what else in our model for language/semantic competence more generally needs to be changed, given the introduction of a semantics for grammatical number?

4 Towards a general model of semantic competence

Lexicon (languages have some or all of these)

For PN a proper name: $\llbracket \text{PN} \rrbracket^s = \text{the individual called PN in } s$

For V an intransitive verb: $\llbracket V \rrbracket^s = \{x: x \text{ Vs in } s\}$

For IA an intersective adjective: $\llbracket \text{IA} \rrbracket^s = \{x: x \text{ is IA in } s\}$

For N a common noun root: $\llbracket N \rrbracket^s = \{x: x \text{ is an atomic or non-atomic N in } s\}$

$\llbracket +\text{atomic} \rrbracket^s = \{x: x \text{ is an atom in } s\}$

$\llbracket -\text{atomic} \rrbracket^s = \{x: x \text{ is a non-atom in } s\}$

Compositional rules I (all languages have all of these)

1. Subject-predicate: If S has NP as its subject and VP as its predicate, $\llbracket S \rrbracket^s = 1$ in s if $\llbracket \text{NP} \rrbracket^s \in \llbracket \text{VP} \rrbracket^s$ or $\llbracket \text{VP} \rrbracket^s \in \llbracket \text{NP} \rrbracket^s$
2. Non-branching nodes: If X is a non-branching node with daughter Y, $\llbracket X \rrbracket^s = \llbracket Y \rrbracket^s$
3. Nodes with a meaningless daughter: If X has a meaningless daughter and another daughter Z, $\llbracket X \rrbracket^s = \llbracket Z \rrbracket^s$

Compositional rules II (languages have no, or some, or all of these)

1. Predicate Modification: If X has Y and Z as its only daughters and Y and Z denote sets of individuals, $\llbracket X \rrbracket^s = \llbracket Y \rrbracket^s \cap \llbracket Z \rrbracket^s$
2. *Former* (or its equivalent in other languages): If X has an AP headed by *former* and N' as its daughters, $\llbracket X \rrbracket^s = \{x: \text{there is an } s' \text{ before } s \text{ such that } x \in \llbracket N' \rrbracket^{s'}\}$
3. *And*₁ (or its equivalent in other languages): If S₃ has three daughters, S₁, *and* and S₂, $\llbracket S_3 \rrbracket^s = 1$ in s if $\llbracket S_1 \rrbracket^s = 1$ in s and $\llbracket S_2 \rrbracket^s = 1$ in s
4. *And*₂ (or its equivalent in other languages): If X has three daughters Y, *and* and Z, and Y and Z denote sets of individuals, $\llbracket X \rrbracket^s = \llbracket Y \rrbracket^s \cap \llbracket Z \rrbracket^s$
5. *The* (or its equivalent in other languages): If X is an NP with Det *the* and N' as daughters, $\llbracket X \rrbracket^s$ is only defined if there is a maximal z in s such that $z \in \llbracket N' \rrbracket^s$; if defined, $\llbracket X \rrbracket^s$ is that z
6. If $X = [Y [+minimal]]$, $\llbracket X \rrbracket^s = \{x: x \in \llbracket Y \rrbracket^s \text{ and } x \text{ is simplest in } \llbracket Y \rrbracket^s\} = \{x: x \in \llbracket Y \rrbracket^s \text{ and } x \text{ has no parts in } \llbracket Y \rrbracket^s\}$
7. If $X = [Y [-minimal]]$, $\llbracket X \rrbracket^s = \{x: x \in \llbracket Y \rrbracket^s \text{ and } x \text{ is not simplest in } \llbracket Y \rrbracket^s\} = \{x: x \in \llbracket Y \rrbracket^s \text{ and } x \text{ has parts in } \llbracket Y \rrbracket^s\}$

Assumptions (languages will have no, or some, or all of these)

Distributive VPs denote sets of atomic and non-atomic individuals

Collective VPs denote sets of non-atomic individuals

Some more questions:

- how do languages that allow null subjects (e.g., Spanish) interpret subjects and predicates?
- what predictions are made for adjectives, quantifiers, or the definite article in languages that have a dual? How should we adapt their denotations (if indeed we have to)?
- for English, we can say that $\llbracket \text{three N}' \rrbracket^S = \{P: \llbracket \text{N}' \rrbracket^S \cap \text{Pl} = 3\}$. The N here, however, must be plural (**three dog*, \checkmark *three dogs*). What meaning do we predict for *three dogs*, and is it the correct meaning?
- how do distributive and collective VPs combine with quantified subjects, and do we make the correct predictions for the sentences they form?
- is it possible to imagine a language that doesn't distinguish collective from distributive VPs? What would it look like?
- do all languages with adjectives have adjectives of the *former*-type, which require a rule different from Predicate Modification?