

## Handout 2: Grammatical number II

Obligatory reading: Corbett (2000), pp. 166-169  
Optional readings: any of the references at the end

### 1 From last time

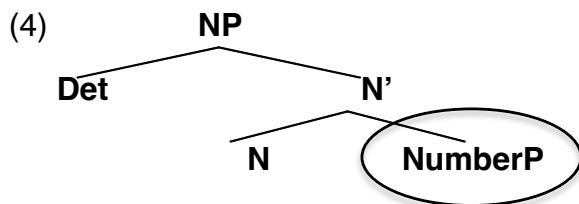
Two number features:

#### [±atomic] (sensitive to simple/atomic vs. complex/non-atomic individuals)

- (1)  $[[+atomic]]^s = \{x: x \text{ is a simple individual in } s\} = \{x: x \text{ is an atomic individual in } s\}$   
 $[[−atomic]]^s = \{x: x \text{ is a complex individual in } s\} = \{x: x \text{ is a non-atomic individual in } s\}$

#### [±minimal] (sensitive to simplest vs. not simplest relative to the set it applies to)

- (2) If  $X = [ Y [+minimal] ]$  then for any  $s$ :  $[[Y [+minimal]]]^s = \{x: x \in [[Y]]^s \text{ and } x \text{ is simplest in } [[Y]]^s\} = \{x: x \in [[Y]]^s \text{ and } x \text{ has no parts in } [[Y]]^s\}$
- (3) If  $X = [ Y [−minimal] ]$  then for any  $s$ :  $[[Y [−minimal]]]^s = \{x: x \in [[Y]]^s \text{ and } x \text{ is not simplest in } [[Y]]^s\} = \{x: x \in [[Y]]^s \text{ and } x \text{ has parts in } [[Y]]^s\}$



English is a [±atomic] system

- (5)  $[[−atomic]] \Rightarrow -s$  (plural),  $[[+atomic]] \Rightarrow -\emptyset$  (singular)

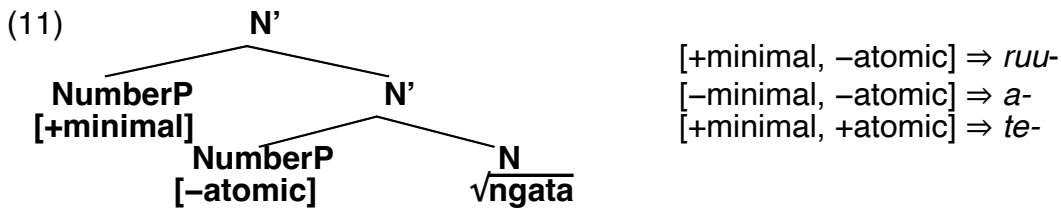
- (6)  $[[\sqrt{student}]]^s = \{x: x \text{ is a student in } s\} = \{a, b, c, d, ab, ac, ad, bc, bd, cd, abc, abd, acd, bcd, abcd\}$
- (7)  $[[\sqrt{student} [+atomic]]]^s = [[\sqrt{student}]]^s \cap [[+atomic]]^s = \{x: x \text{ is an atomic individual in } s \text{ and } x \text{ is a student in } s\} = \{a, b, c, d\}$
- (8)  $[[\sqrt{student} [−atomic]]]^s = [[\sqrt{student}]]^s \cap [[−atomic]]^s = \{x: x \text{ is a non-atomic individual in } s \text{ and } x \text{ is a student in } s\} = \{ab, ac, ad, bc, bd, cd, abc, abd, acd, bcd, abcd\}$

Imere is a [±minimal, ±atomic] system

- (9) Imere number on nouns

singular	dual	plural	
te-ngata	ruu-ngata	a-ngata	'snake'
te-fare	ruu-fare	a-fare	'house'
te-soa	ruu-soa	a-soa	'friend'

- (10) [+minimal, -atomic] (2, dual) (simplest out of a set of complex things)  
 [-minimal, -atomic] (more than 2, plural) (not simplest out of a set of complex things)  
 [+minimal, +atomic] (1, singular) (simplest out of a set of simple things)  
 #[-minimal, +atomic] (~~not simplest out of a set of simple things~~)



(12)  $[[\sqrt{\text{ngata}}]]^s = \{x: x \text{ is a snake in } s\} = \{a, b, c, d, ab, ac, ad, \dots, cd, abc, abd, acd, bcd, abcd\}$

(13)  $[[[+minimal] [-atomic] \sqrt{\text{ngata}}]]^s = \{ab, ac, ad, bc, bd, cd\}$

(14)  $[[[-minimal] [-atomic] \sqrt{\text{ngata}}]]^s = \{abc, abd, acd, bcd, abcd\}$

(15)  $[[[+minimal] [+atomic] \sqrt{\text{ngata}}]]^s = \{a, b, c, d\}$

Today: (a) argument for this decompositional analysis of the dual  
 (b) how to do trial, minimal and augmented  
 (c) argument for the need for  $[\pm\text{atomic}]$

## 2 Why not just a dual feature?

Hypothesis A: languages with a dual have a [dual] feature (no combination of two features)

Hypothesis B: there is no such thing as a dual feature; the dual is always decomposed into  $[\pm\text{minimal}, \pm\text{atomic}]$  (this is our analysis above)

Prediction made by hypothesis A: the dual does not depend on the existence of singular/plural. This prediction is made by this hypothesis because the hypothesized feature [+dual] is completely independent of  $[\pm\text{minimal}]$  or  $[\pm\text{atomic}]$ ; we can have [+dual] without  $[\pm\text{minimal}]$  or  $[\pm\text{atomic}]$ . Thus, there should be languages that have a dual but no singular/plural

→ **This prediction is incorrect:** there is no dual without singular/plural cross-linguistically (Greenberg 1966). That is, there is no language that we know of, dead or alive, that has a dual without also having singular/plural

Prediction made by Hypothesis B: the dual depends on the existence of singular/plural. This prediction is made by this hypothesis because part of the means for generating the dual ( $[-\text{atomic}]$ ) already generate the plural (and, with the opposite-valued feature, [+atomic], the singular), so if you have the dual form, you have to have singular/plural forms. Thus, there shouldn't be languages that have a dual but no singular/plural.

→ **This prediction is correct:** there is no dual without singular/plural cross-linguistically (Greenberg 1966). That is, there is no language that we know of, dead or alive, that has a dual without also having singular/plural

⇒ therefore, **Hypothesis B is superior to Hypothesis A**

### 3 How to do more: [ $\pm$ minimal], and [ $\pm$ minimal] that can repeat

*Minimal-augmented languages ([ $\pm$ minimal] languages)*

Ilocano personal pronouns (suffixes on verbs) (Austronesian, Philippines) (Corbett 2000)

Two types of 1<sup>st</sup> person in some languages: 1<sup>st</sup> person exclusive (“I/we without you”), 1<sup>st</sup> person inclusive (“I/we with you”)

	minimal	augmented
<b>1ex</b>	-ko (1 speaker)	-mi ( <b>more than 1</b> speaker, no addressee)
<b>1in</b>	-ta (speaker + addressee; <b>2 people</b> )	-tayo (speaker + addressee + ...; <b>more than 2 people</b> )
<b>2</b>	-mo (1 addressee)	-yo ( <b>more than 1</b> addressee)
<b>3</b>	-na (1 other)	-da ( <b>more than 1</b> of others)

- (16) [ +minimal ] for 1<sup>st</sup> person inclusive  $\Rightarrow$  -ta  
2 people involved because speaker+addressee is the simplest relative to the 1<sup>st</sup> person inclusive

- (17) [ +minimal ] (1 in all persons but for 1<sup>st</sup> person inclusive, where it is 2)  
[ -minimal ] (more than 1 in all persons but 1<sup>st</sup> person inclusive, where it is more than 2)

This cannot be achieved with [ $\pm$ atomic]: there is no sense in which -ta is [+atomic]

*Singular-dual-trial-plural languages ([ $\pm$ minimal,  $\pm$ atomic] languages that repeat [ $\pm$ minimal])*

Lariki pronouns (Austronesian, Indonesia) (Corbett 2000, Laidig and Laidig 1990):

	singular	dual	trial	plural
<b>1ex</b>	a?u	arua	aridu	ami
<b>1in</b>	-	itua	itidu	ite
<b>2</b>	ane	irua	iridu	imi
<b>3</b>	mane	matua	matidu	mati

- (18) [ +minimal, -minimal, -atomic ] (3, trial) (simplest out of a set of complex things without twosomes)  
(19) [ +minimal, -atomic ] (2, dual) (simplest out of a set of complex things)  
[ -minimal, -atomic ] (more than 2, plural) (not simplest out of a set of complex things)  
[ +minimal, +atomic ] (1, singular) (simplest out of a set of simple things)

Corbett (2000: 26-30): number values such as quadral (for 4), or for greater exact quantities (5, 6, 7, 8, 9, etc.) do not exist. This is accounted for in this system **by prohibiting the feature [ $\pm$ minimal] from repeating with the same  $\pm$  sign:**

- (20) # [ +minimal, -minimal, -minimal, -atomic ] (4, quadral)  
# [ +minimal, -minimal, -minimal, -minimal, -atomic ] (5, pental)  
# [ +minimal, -minimal, -minimal, -minimal, -minimal, -atomic ] (6, sextal)

Constraint on the repetition of [ $\pm$ minimal]: # [ -minimal, -minimal ] and # [ +minimal, +minimal ]
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## 4 Do we really need [ $\pm$ atomic]?

Hypothesis: [ $\pm$ atomic] is unnecessary, we can do everything we need to do with [ $\pm$ minimal] (which may or may not repeat; we wouldn't have the repetition constraint). For example:

Singular-plural: [ $\pm$ minimal]

- (21) [+minimal] (1, singular)  
[-minimal] (more than 1, plural)

Singular-dual-plural: [ $\pm$ minimal] that can repeat

- (22) [+minimal, -minimal] (2, dual) (simplest out of a set of complex things)  
[-minimal, -minimal] (more than 2, plural) (not simplest out of a set of complex things)  
[+minimal, +minimal] (1, singular) (simplest out of a set of simplest things)

Singular-dual-trial-plural: [ $\pm$ minimal] that can repeat

- (23) [+minimal, -minimal] (2, dual) (simplest out of a set of complex things)  
[-minimal, -minimal] (more than 2, plural) (not simplest out of a set of complex things)  
[+minimal, +minimal] (1, singular) (simplest out of a set of simplest things)  
[+minimal, -minimal, -minimal] (3, trial) (simplest out of a set of complex things without twosomes)

**But now nothing stops us from generating quadrals, ...etc., incorrectly:**

- (24) [+minimal, -minimal, -minimal, -minimal] (4, quadral)  
[+minimal, -minimal, -minimal, -minimal, -minimal] (5, pental)  
[+minimal, -minimal, -minimal, -minimal, -minimal, -minimal] (6, sextal)

Corbett argues that not only are there no exact number values beyond 3, what people in the past thought was a quadral turns out to be a paucal—an approximative number value (which expresses a meaning similar to English *a few*). Our number theory so far does not allow us to generate approximative numbers, but Harbour (2014) adds one more feature that allows that to happen

### References

- Corbett, Greville. 2000. *Number*. Cambridge University Press  
Greenberg, Joseph. 1966. *Language universals, with special reference to feature hierarchies*. The Hague. Mouton  
Harbour, Daniel. 2014. Paucity, abundance, and the theory of number. *Language* 90, 185-229  
Laidig, Wyn and Carol Laidig. 1990. Larike pronouns: duals and trials in a Central Moluccan language. *Oceanic Linguistics* 29, 87-109

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